

Exploring the quantum with atoms and cavities

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Two radically different paths to explore quantum Nature

- The hard route
 - Constructing quantum (field) theory from first principles
- The quick and dirty experimental route
 - Look at quantum Nature at work
 - In situations simple enough to bring a direct insight into the most intimate quantum features.
 - No maths, a lot of plumbing, nuts and bolts
 - But some hopefully interesting questions to unveil and discuss
- At some point (« DEA Brossel », 39 years ago), Vincent and I chose to part on these two routes (being much older than me he chosed the had way...)
 - A splitting, which did not hamper a long-term friendship...

– Happy birthday, Vincent !!

A century of quantum physics

- A detailed understanding of the micro-world and...
 - Countless applications
 - Lasers, solid-state electronics, clocks, MRI...





- A considerable societal and economic impact
 - Large part of GDP results from quantum technologies
 - Also large part of our lifetime expectation!
 - No information society without the quantum
- An astounding example of the impact of curiosity-driven blue-sky research on the long term
 - Lessons for science support and granting system ?

An unprecendented series of sucess...

- ...and provided us with extraordinary experimental tools
 - Lasers, computers allow us to manipulate quantum systems
 - Quantum technology makes it possible to explore the quantum.
 - The gedankenexperiments are made real
 - And quantum mechanics passes the test !
 - » What we do observe is precisely what the founding fathers extraordinary wits allowed them to predict
 - Why exploring the quantum 100 years after Bohr?
 - Better confidence in the quantum
 - Better understanding of the interpretation(s)
 - Measurement, state superpositions
 - Exploring the limits of the quantum
 - No quantum behaviors (superpositions aso) at our scale ?
 - Insights into new quantum technologies

A thriving field worldwide

• Many experimental schemes manipulate individual quantum systems



Cavity Quantum Electrodynamics

• A spin and a spring



- Realizes the simplest matter-field system: a single atom coherently coupled to a few photons in a single mode of the radiation field, sustained by a high quality cavity.
- Direct realization of thought experiments and illustrations of quantum postulates with circular Rydberg atoms and superconducting cavities
 - Measurement
 - Complementarity
 - Macroscopic quantum superpositions (decoherence)

A nearly ideal photon box

• Two mirrors

- Separation 3 cm
 - Wavelength 6 mm, 51 GHz
- Superconducting
 - No losses
 - Nearly perfect reflection
- Photon lifetime $T_c = 0.13s$!
 - 1 billion bounces
 - 40000km

- The best mirrors in the world



Circular Rydberg states

- Giant atoms
 - Highly excited atomic levels



A ground state atom is 2500 times smaller !!

Circular Rydberg states

- Ideal atoms
 - Long lifetime (30ms)
 - Strong coupling to the cavity field
 - Efficient state-selective detection
 - Some technicalities in the preparation stage



An ideal photon counter?

- All standard detectors destroy the incoming photons
 - A Quantum Non Demolition photodetector operating at the individual photon level
- A photon 'box' able to store a photon for a long time
 - back to Einstein-Bohr's dream: weighing a photon



Yet another gedankenexperiment



- A clock whose ticking rate is determined by the number of photons in a box
- The final clock hand's position directly measures the photon number
 - Photon box: a superconducting cavity
 - Clock: a single circular Rydberg atom

Experimental set-up



RMP 73, 565





- Atomic clock modified by the interaction with the field
- Modification measured by Ramsey interferometry
 - A state superposition, prepared by a $\pi/2$ pulse in R₁, accumulates a phase shift $\phi_0 (n + 1/2)$
 - Phase shift read out by a second $\pi/2$ pulse in R_2 and final atomic state detection in D

Starting the clock



A simple geometrical representation: Bloch sphere for the spin ½ representing the two-level atomic transition



Quantized rotation of the atomic spin

• Photon-number dependent phase shift of the atomic coherence



- The Bloch vector direction reveals the photon number
- In general non-orthogonal final atomic states correspond to different photon numbers: A single atom does not tell all the story
- By choosing the phase of the pulse in R₂, measure the component of the spin in any direction of the equatorial plane

Single atom detection



Bayesian inference of the photon number distribution

- Each atom brings partial information on the photon number
 - Recording atomic state changes our inference of the photon number distribution P(n)
 - P(n) multiplied by a sine function after each atomic detection (probability to get the atom in the detected state as a function of the photon number
 - Some photon numbers nearly ruled out
- Cumulative decimation of the photon number distribution pins down the photon number
 - Use four settings of the measurement direction chosen randomly
 - Removes any ambiguity and speeds up decimation
 - Requires about n_m^2 atoms to distinguish n_m photon states
 - Statistical noise on the atomic detections

Wave-function collapse in real time



• Evolution of P(n) while detecting 110 atoms in a single sequence

• Initial coherent field with 3.7photons

 Initial inferred distribution flat (no information) but final result independent of initial choice

•Progressive collapse of the field state vector during information acquisition

C. Guerlin et al, Nature, 448, 889

Photon number statistics



Excellent agreement with the expected Poisson distribution

Monitoring the light quantum jumps



- An improved analyzis method based on the Past Quantum state formalism
 - Allows counting beyond the n=8 periodicity
- Rapid decay of the higher Fock states

Application: lifetime of the *n* photon Fock state

• Analyze average time between jumps



- Quantum states are fragile, all the more so when they get large:
 - decoherence

Superpositions in the macro world ?

• The Schrödinger cat

- No quantum superpositions at our scale



- We only observe a tiny fraction of all possible quantum states. Why?

Superposition, measurement and decoherence

- An essential question for quantum measurement
 - Linearity predicts measurement apparatus in a quantum superposition
 - High AND low



 $\frac{1}{\sqrt{2}} \left(\left| \uparrow \right\rangle + \left| \downarrow \right\rangle \right) \left| \left| \uparrow \right\rangle \right|$



 $\frac{1}{\sqrt{2}} \left(|\uparrow\rangle | \checkmark \rangle + |\downarrow\rangle | \checkmark \rangle$

- Postulates predict a mixture (high OR low)
- The unlucky cat is a metaphore of measurement

 $\frac{1}{\sqrt{2}} \left(|\uparrow\rangle| \wedge |\downarrow\rangle\rangle + |\downarrow\rangle| \rangle \rangle$

Decoherence and quantum superpositions

- A quantum system is coupled to a complex environment
 - Residual gas
 - Residual radiation
 - Gravity waves !
- Well controlled microsystems
 - Coupling to environment negligible For All Practical Purposes

 $\frac{1}{\sqrt{2}}(|\mathbf{b}| \rightarrow |\mathbf{b}|) \Leftrightarrow$

- Mesoscopic or macroscopic systems
 - This coupling can NEVER be neglected
 - Obviously the case for a measurement apparatus or a cat

Environment

Decoherence models

- No general theory
- Simple cases in which quantum relaxation theory can be used to treat explicitly the coupling of a mesoscopic system with an environment
 - Brownian motion (Leggett)
 - Damping of a harmonic oscillator

- Characteristics valid for all models
 - A few states are nearly stable (pointer states)
 - Their quantum superpositions are utterly unstable

Pointer states

- Stable or nearly stable states in spite of environment coupling
 - Position states for Brownian motion
 - Vacuum for a zero temperature harmonic oscillator
 - Coherent field states
 - A coherent state remains coherent, its energy is damped as the classical field energy
 - All those states are exactly or almost insensitive to decoherence
- Quantum Darwinism
 - Pointer states are those who disseminate most easily copies of themselves into the environment without entanglement
 - All observers of a part of the environment can agree on which pointer state they 'observe'
 - Quantum objectivity (and realism)

Mesoscopic quantum superpositions

- Pointer states superpositions
 - Rapidly transformed into a statistical mixture
 - One state OR the other instead of one state AND the other
 - Decoherence time scale
 - Short compared to the classical (energy) damping time
 - Shorter and shorter when the 'distance' between state increases.
 - An essential character of mesoscopic systems relaxation:
 - Two (very) distinct time scales
 - Slow one: energy
 - Fast one: decoherence
 - Their ratio is a good measure of the superposed state 'macroscopicity'

Decoherence and quantum measurement

- Two essential ingredients
 - Measurement result is described by a classical probabilistic alternative
 - Same nature as that of statistical physics
 - God IS playing dice, but He is playing with classical dice
 - Decoherence defines the measured quantity
 - Final state: mixture of pointer states
 - The measured system's state are those correlated to pointer states
 - Without decoherence: entangled state of the system with the meter which can be cast in any joint basis
 - System-meter coupling AND decoherence dynamics both define the measured quantity.

Experimental exploration of decoherence?

• Easy !

– No quantum superpositions in everyday world...

• Not that simple ?

- Resolve dynamics for a mesoscopic system (two well separated time scales) weakly coupled to its environment.
- Long relaxation time so that decoherence time is long engouh to be measured
- Delicate probe of the system's state
- Few appropriate systems. Particularly:
 - Ion in traps
 - CQED

Mesoscopic coherent fields in cavity QED

- A classical amplitude and quantum fluctuations
 - Small field:
 - A single photon coherent field is quite quantum: fluctuations as large as the amplitude
 - Large field:



• A large coherent state is nearly classical

Dispersive atom-field interaction

- Non resonant (dispersive) case
 - Two complementary effects
 - Atomic frequency modified by the cavity field (light shifts, proportional to the photon number)



- Phase of an atomic superposition changed

- Field frequency modified by the presence of the atom (index effect)
 - Classical phase of the field changed (in a way depending upon the atomic state)

$$\begin{array}{c} |e\rangle| \longrightarrow \rangle \longrightarrow |e\rangle| \checkmark \rangle \\ |g\rangle| \longrightarrow \rangle \longrightarrow |g\rangle| \searrow \rangle \end{array}$$

Bohr's thought experiment on complemetarity

• **Complementarity** (From Einstein-Bohr at the 1927 Solvay congress)



- Moving slit records the trajectory of the particle in the interferometer

Ramsey interferometer

- An atomic version of the Mach-Zehnder interferometer
 - Two classical resonant pulses mix atomic levels
 - Two paths from the initial to the final state
 - Quantum interference
 - Transfer probability sinusoidal function of the phase accumulated by the atom





Cavity field as a which path detector

• Insert non-resonant cavity inside the Ramsey interferometer



- Cavity contains initially a mesoscopic coherent field



- The two atomic levels produce opposite phase shifts of the cavity field

$$|e\rangle| \longrightarrow \rangle \longrightarrow |e\rangle| \checkmark \rangle \\ |g\rangle| \longrightarrow \rangle \longrightarrow |g\rangle| \searrow \rangle$$

- Field amplitude is the 'needle' of a 'meter' pointing towards atomic state
 - Prototype of a quantum measurement
 - Provides a which-path information and should erase the fringes

Two limiting cases

- Small phase shift (large D) (smaller than quantum phase noise)
 - field phase almost unchanged
 - No which path information
 - Standard Ramsey fringes
- Large phase shift (small D) (larger than quantum phase noise)



- Cavity fields associated to the two paths distinguishable
- Unambiguous which path information
- No Ramsey fringes



Fringes and field state

• An illustration of complementarity



Brune et al. PRL 77, 4887

A laboratory version of the Schrödinger cat

Field state after atomic detection

 $\frac{1}{\sqrt{2}} \left(| \checkmark \rangle + | \checkmark \rangle \right)$

A coherent superposition of two "classical" states.

Very similar to the Schrödinger cat



Decoherence transforms this superposition into a statistical mixture

time scale $2T_c/D^2$ where D^2 is the square distance between classical amplitudes (a photon number)

Slow relaxation time scale T_c: possible to study the decoherence dynamics Decoherence caught in the act

More insight into the quantum nature of a cat

- Prepare a cat by dispersive interaction with a single atom
- Wait...
- ... and see : reconstruct the field density matrix
 - Controlled displacements
 - QND photon number measurements
 - MaxEnt reconstruction algorithm
- Plot the cat's Wigner function

The portrait of a cat



Schrödinger cat states

Statistical
 mixture



Decoherence of the cat

- Time resolved method
 - Data acquisition time: 4 ms
 - Much shorter than the expected decoherence time
 - 19 ms taking residual thermal effects into account
- Monitor cat decoherence in real time

A movie of the cat decoherence



S. Deléglise et al, Nature, 455, 510 (2008)

Decoherence time



For similar work in circuit QED see Wang et al. PRL 103 200404

Conclusion: interrelated concepts

- Complementarity, decoherence and entanglement
 - No quantum interference when entanglement with a which path detector
 - No quantum inteference for macroscopic objects
 - Decoherence
 - Results from an unavoidable entanglement with the environment.
 - And quantum superposition is at the heart

Perspectives : A new breed of quantum monster

• Entangling a single atom with two mesoscopic fields



• Dispersive interaction:

no energy exchange but entanglement of the field classical phase with the atomic state (index of refraction)

Final two-cavity state
$$|\gamma, \gamma\rangle + |-\gamma, -\gamma\rangle$$

P. Milman et al EPJD, 32, 233

a non local mesoscopic quantum state

Perspectives : Slow atoms in a cavity

- A strong limitation of present experiments
 - Atom-cavity interaction time << both systems lifetime
 - 100 µs << 30ms, 0.13 s
- Achieving long interaction times
 - A set-up with a stationary Rydberg atom in a cavity
 - Circular state
 preparation and detection
 in the cavity
 - Interaction time ms range
 - Large cats
 - Quantum Zeno dynamics

J.M. Raimond et al PRL **105**, 213601



A team work

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Exploring the Quantum Atoms, Cavities, and Photons WWW.CQCC.OrQ

Serge Haroche and Jean-Michel Raimond

And, above all

• Happy birthday, Vincent



- 60 already? I can hardly believe it.